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Internal Fault Detection, Location, and Classification in Stator Winding of the Synchronous Generators Based on the Terminal Voltage Waveform

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ABSTRACT: In this paper, a novel method is presented for detection and classification of the faulty phase/region in the stator winding of synchronous generators on the basis of the resulting harmonic components that appear in the terminal voltage waveforms. Analytical results obtained through Decision Tree (DT) show that the internal faults are not only detectable but also they can be classified and the related region can be estimated. Therefore, this scheme can be used to protect the synchronous generators against the various internal faults. Fuji technical documents and data sheets for an actual salient pole synchronous generator (one unit of an Iran's hydroelectric power plants) are used for the modeling. Simulations in Maxwell software environment are presented. All the related parameters, such as B-H curve, unsymmetrical air gap and pole saliency, slot-teeth effect, and other actual parameters, are considered to obtain a comprehensive model to generate acceptable terminal voltage waveforms without any simplification.

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1- Introduction

Considering the importance of synchronous generators protection due to their essential role in the power system, different algorithms for detection, classification, and location of the fault in the stator windings of synchronous generators are studied.

The best and general form of the stator protection in the face of phase-to-phase and phase-to-ground fault occurrence is provided by an instantaneous longitudinal percentage biased differential relay. Turn to Turn Fault (TTF) occurrence on one phase of the stator winding cannot disturb the balance between the currents in the neutral and the terminal CTs. Accordingly, these types of the faults cannot be detected by such a protective scheme while it is detectable by transverse differential protection when the generator has (only) two windings per phase [1].

In the case of a stator winding with two or more branches connected in parallel for each phase, it is preferable to apply a circulating or a differential current for the TTF detection. During TTFs on the windings with parallel branches, the current distribution in those branches is changed and the current circulating between them is used for the fault registration in the current differential method [2].

Generators having single winding per phase or those generators whose parallel windings are not accessible can be protected by using zero component of voltage, which is caused by Electro-Motive Force (EMF) reduction in the faulty phase. This component is achievable through the secondary winding

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of the voltage transformer connected to generator winding terminals [1]. Although the above schemes cannot detect weak faults (such as single turn-turn ones), other methods had been proposed to achieve this goal by considering a model for the stator winding. P. H Park et al. [3] proposed the dq0 model in which a sinusoidal distribution is assumed for the machine winding. Using such model, only the fundamental component is recognized and all the higher space harmonics produced by the machine windings are neglected. For example, when a TTF occurs in the machine, the generated flux distribution in the air-gap is no longer sinusoidal and significant space harmonics will be produced in the air-gap magnetic field. Since the dq0 model fails to model internal faults, other models were generally derived in the phase domain [4-9], where the voltage and flux linkage equations are directly developed in the fixed phase reference. These fault models suppose that the ratio between the winding inductances is proportional to the ratio between the effective numbers of winding turns. However, this is acceptable when the windings are concentrated or a pure sinusoidal distribution of magnetomotive force exists in the air gap.

Another synchronous machine model, which is presented in [10–16], analyzes the internal faults based on the modified winding function theory by the electrical parameters of the machine. Although all space harmonics generated by the windings are accounted by this model, the assumption of sinusoidal distribution cannot justify the large salient pole synchronous generators. A method for 100% stator winding protection against the phase-to-ground faults (PGFs) is presented in [15], where the component of zero sequence voltage and the third harmonic voltage are used in this model

to detect PGFs. This method uses the main component of zero sequence voltage to detect PGFs in 95% of the stator winding and the related third harmonic component for fault detection in the remnant winding (5%) in the neutral point vicinity.

A combination of winding function theory and direct phase quantities is used in [17-19] to simulate the internal faults in the synchronous machines. In this simulation, only the odd space harmonics are considered to calculate the winding inductances while the faulty windings can produce some harmonics and even fractional sub-harmonics.

The author of the paper [18] proposed a model that simulates synchronous machine by a multi-loop circuit formed by coils that are moving relative to each other. The calculation of the loop inductance is based on coil-to-coil approach. However, it is very difficult to apply internal faults (especially TTFs) to this model (especially for large machines with many coils in stator). Another technique to partition the stator winding is presented in [20], in which the air-gap space harmonics are neglected. Some researches have focused on numerical algorithms to measure harmonics or statistical value to detect faults in the stator windings. For example, the Principal Component Analysis (PCA) is used in [21] to detect stator winding faults, while it cannot detect weak TTFs or PGFs near the neutral point. Another protective method used the 3rd harmonic component of the voltage waveform in the neutral point and stator terminations, which cannot exhibit high sensitivity, and the related setting will change in a wide range while the operating condition varies [22].

TTFs create some distortions in the air gap flux configuration. Accordingly, the induced voltage waveform in the same phase will be reduced and distorted. Simultaneously, some distortions will induce in the healthy phase voltage waveforms. Reduction in the voltage amplitudes and the related distortions in the voltage waveforms depend on the type, location, and number of turns of the fault. Thereby, three phases of the generator cannot be considered as the separated ones and their interactions must be regarded.

TTF or PGF will occur due to a damage to the insulation between the adjacent bars or between a bar and the stator core, respectively. The current through the faulty point to the ground in PGFs can be sensed by a differential relay. However, a low current from PGF occurrence in the neutral point vicinity cannot activate such protective device. Although the probability of the fault occurrence in the neutral point vicinity is very low (voltage between these bars and the grounded core is very low), it should be noted that such fault might provide circumstances to occur phase-to-phase or turn-to-turn faults. In terms of the generator protection against PGFs, the proposed techniques depend on the generator grounding

proposed techniques depend on the generator grounding type. The modeled synchronous generator in this paper is a high impedance grounded generator (HIG), in which (as a common problem) PGF occurrence in the 5% of the winding in the neutral point vicinity cannot be detected.

To achieve a comprehensive model for the generator, simulations are done using FEM algorithm in Maxwell software with considering the effects of the following items:

- Pole saliency and air gap irregularity;
- Magnetic nonlinear characteristics (Core saturation);
- Stator edge (slot-teeth);
- Mutual inductance of the phases;
- Air gap flux distortion and its effect on the other phases and windings.

Moreover, not only bars dimensions but also insulation between the bars are applied in our model based on Fuji technical documents, plans, and data sheets. Since all the important parameters are considered in these simulations, we assert that unlike the above mentioned models, which find a compact and simple model to simulate the faulty machine, a comprehensive and precise model is presented in this paper without any simplification.

Since Phase-to-Phase faults (PPFs) are easily detectable by differential relays, internal faults, including TTFs and PGFs are discussed in this paper. Various internal faults are detected and classified based on the created distortions in the three phase terminal voltage waveforms. These voltage waveforms are available through the installed PT on the generator terminals. Also, since detection algorithms based on the smaller input parameters are preferred, a Decision Tree-based algorithm is applied to extract the best harmonic components obtained by DFT process to detect, locate, and classify the mentioned internal faults.

Decision Tree (DT) is a graphical tree-shaped representation of a decision that can be used to determine a statistical probability of some events. Each branch of the tree exhibits possible decision or the related probability to occur that event. DT can be introduced as an appropriate way to understand the potential options of a decision and its range of possible results. Clementine, DPL, Edraw, and Gratis can be pointed as some of the existing DT softwares that are presented to solve the complicated problems, from which Clementine is used in this paper.

Determining the faulty phase and the number of the shorted turns is done for the simulated TTFs in this paper. Also, fault detection, faulty phase identification, and fault location are performed for simulated PGFs.

2- Modeling of synchronous generator

To generate the necessary signal waveforms, a hydroelectric synchronous generator designed by Fuji is selected and simulated using Maxwell software. This generator is operating now in one of Iranian power plants with the presented technical specifications in Table I. A section of this generator with details in Maxwell software is shown in Figure 1.

A view of the flux density (B) distribution of one cross section of the generator in normal condition (NC) is shown in Figure 2. As shown, the flux density in the generator pole shoes is about 1.2 Tesla in no-load condition.

3- Simulation of the internal faults

3- 1- TTFS

In this section, various TTFs are simulated on FEM model of the machine to generate distorted voltage waveforms. The generator works in no-load condition, and all the simulated TTFs are selected on the basis of the actual location of the bars installed in the stator slots. Indeed, if two installed bars in one slot belong to one branch of a specified phase, a TTF occurs between them. The TTFs on each branch of the stator winding and their associated possible number of occurrence are listed in Table II. These TTFs are named as below,

- Single TTF across one turn (Case 'S'),
- Double TTF across two turns (Case 'D'),
- Triple TTF across three turns (Case 'T'),
- Quadruple TTF across four turns (Case 'Qd'),
- Quintuple TTF across five turns (Case 'Qn').

Three phase voltage waveforms for some sample cases are shown in Figure 3. The phase U is considered as the faulty one. As shown, the apparent voltage drop in the faulty phase and the voltage distortion in the healthy ones, all caused by a single TTF, are very small such that the related distortions can be just observed using a digital signal processing algorithm, e.g. DFT or wavelet transform (WT). The increasing of the shorted turns number results in distortion in the faulty phase and the other ones so that such variations can be observed visually.

Harmonic components of the individual three phase voltage waveforms (U, V and W) and their cumulative results as U+V+W (that can be considered as the output of an open delta connected PTs) are used to detect TTFs. Accordingly, ratio of 2^{nd} up to 7^{th} harmonic components to the fundamental one (e.g. U_{h2}/U_{h1} , U_{h3}/U_{h1} and so on) are used to train DT. It is noticeable that only a few of them are required and will be used after DT training while discrimination criteria are selected.

Table III compares the mentioned harmonic contents for the simulated cases while Figure 4 shows them for various TTFs.

Table 1. Specifications of simulated salient pole synchronous generator

Stator Inner Diameter	4500 mm		MVA Rating	300		
Stator Outer Diameter	5770 mm		Voltage Rating	18 kV		
Stator Height	3041 mm		Current Rating	9642 A		
Number of Slots	180		Nominal p.f.	0.9		
Winding Type	Two Layers Bars		Rotation Speed	500 rpm		
Number of Phases	3		Frequency	50 Hz		
Number of Parallel Circuits	3		Excit . Voltage Rating	230 V		
Winding Pitch	13		Excit . Current Rating	2157 A		
Turns/Circuit	Circuit 20		Number of Poles	12		
Grounding Transformer Turns Ratio	10392/500		Rotor Outer Diameter	4398 mm		
Ground Resistance at the	1.98Ω		Shaft Outer Diameter	2300 mm		
Secondary Side			Air Gap Length	51 mm		

It is an important property in these simulations that the results of a specific TTF occurrence on the various paralleled branches in each phase are identical, i.e., the influence of a TTF occurrence in phase U on the healthy adjacent phase V, indicated by $U_F \rightarrow V_H$, is exactly similar to $V_F \rightarrow W_H$ or $W_F \rightarrow U_H$. Reversely, $U_F \rightarrow W_H$, $W_F \rightarrow V_H$, and $V_F \rightarrow U_H$ are identical. This is due to the exact symmetrical distribution of the three phase bars along the stator circumference. Accordingly, it is possible to train DT with the shifted data in order for detecting and classifying TTFs in the other phases. Similarly, TTFs on the other paralleled circuits in each phase, where these circuits are located sequentially along the stator circumference by two shifting of 120°, result in the similar outputs. Based on the mentioned simulations, run totally 60 times, DT can access to any TTF data that may occur.

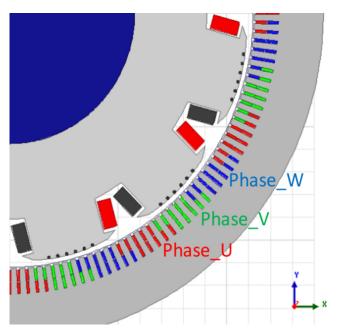


Fig. 1. A section of simulated synchronous generator

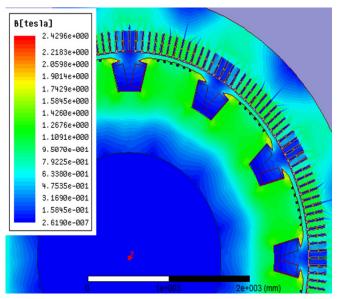


Fig. 2. Flux density distribution in a cross section of the generator in no-load condition in Maxwell software environment

Table 2. Number of possible ttfs on each branch

TTF type	Number of Possible Cases
Single Turns	20
Double TTF	16
Triple TTF	12
Quadruple TTF	8
Quintuple TTF	4
Total	60

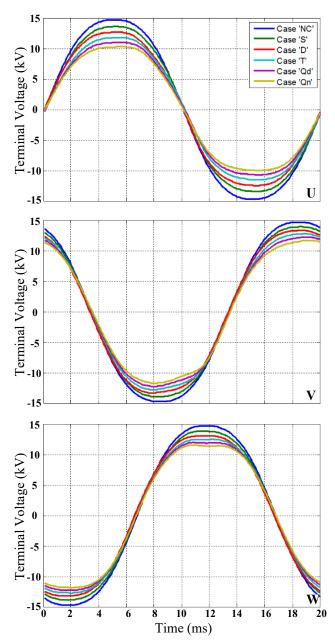


Fig. 3. Three phase voltage waveforms in no-load condition (NC) and some TTFs.

Various PGFs are simulated on the machine FEM model to generate the distorted voltage waveforms. The generator works in no-load condition and all the simulated faulty cases are selected on the basis of the actual location of the bars installed in the stator slots. The total number of possible simulations to apply PGFs on the stator winding is sixty in each branch/phase. Three phase voltage waveforms for some cases are shown in Figure 5. As shown, the apparent voltage drop and the voltage distortion during PGF occurrence on the single or double first turns (close to neutral) are very small. Increasing the number of the faulty turns intensifies the related distortions and voltage drops.

Again, individual single phases and their cumulative results as U+V+W are used to achieve the main goal. Percentages of the second up to the seventh harmonic components related to the fundamental frequency component are used to train DT while the suitable ones are selected after training DT.

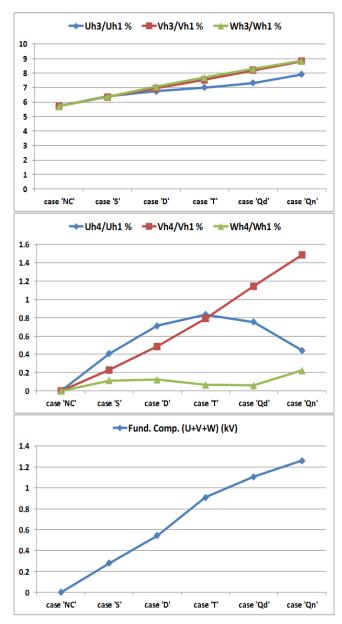


Fig. 4. Percentage variations of the third (top), the fourth (mid) harmonic components, and the fundamental component of residual voltage (down) during various TTFs (related to the normal condition)

As the case studies, some PGFs on the first branch of phase U are simulated (totally 20 cases), of which some can be considered as:

- PGF on the first turn of the winding in the vicinity of the neutral point, i.e. %5 of winding as 'PGF 1';
- PGF on the second turn of the winding, i.e. 10% of the winding as 'PGF 2';
- PGF on the fifth turn of the winding, i.e. 25% of the winding as 'PGF 5';
- PGF on the middle of the winding, i.e. 50% of the winding as 'PGF 10';
- PGF on the 20th turn of the winding, i.e. on the generator terminal (%100 of the winding) as 'PGF 20'.

Table IV compares harmonic contents for the abovementioned cases. Figure 6 shows them, individually, during the above PGFs.

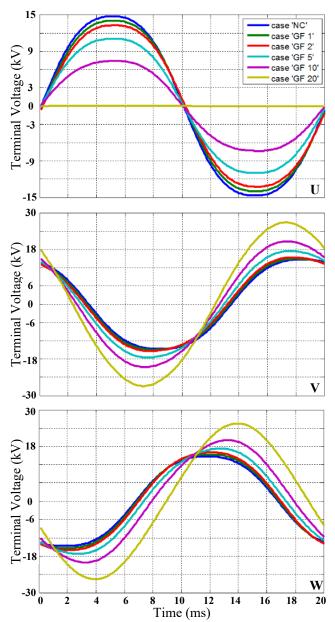


Fig. 5. Three phase voltage waveforms for no-load condition and some PGFs.

As mentioned before, it is possible to train DT with the proper shifted data to detect and identify the PGF location in other phases. Similarly, since PGF occurrence on the other paralleled circuits in each phase results in the similar outputs, DT can access to any PGF data achieved from the mentioned simulations.

4- Extraction of the appropriate harmonic components

In order to obtain useful harmonic components for detection, classification, and identification of the faulty region (TTFs and PGFs), DT algorithm is trained by the various internal fault harmonic components and the healthy terminal voltage waveforms. The best values of the components are selected by DT at the highest decision branches as the main classification criteria, while 70% of the data are used to train DT and 30% of them are employed to test it. DT mechanisms to achieve such detector and classifier for TTFs and PGFs are shown in Figure 7 and Figure 8, respectively. Also, DT mechanism to identify

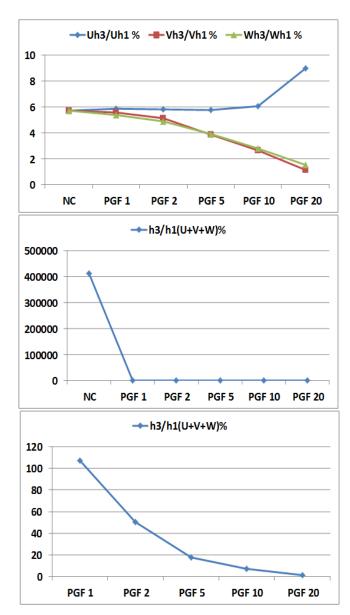


Fig. 6. Percentage variations of the third harmonic components for individual voltages (top) and the residual voltage by considering 'NC' case (mid) and without it (down).

PGF location is shown in Figure 9. As shown, the third and fourth harmonics of the individual voltage waveforms and the first harmonic of the residual voltage (U+V+W) are selected by DT to achieve TTFs detection and classification. Also, the third harmonics of the individual voltage waveforms is selected by DT to detect and classify PGFs, while the third harmonic of the residual voltage (U+V+W) is selected by DT to identify PGF location.

5- Analysis of results

The results of the proposed algorithm for the simulated TTFs and PGFs are summarized in Table V and Table VI, respectively. These tables show that:

- a) for TTFs
- All the possible TTFs can be detected with the accuracy of 100%;
- The number of shorted turns in TTFs can be classified with the accuracy of about 100%;

- The related faulty phase can be determined by the accuracy of about 99%.
- b) For PGFs
- All of the possible PGFs can be detected with the accuracy of 100%;
- The related faulty phase can be determined by the accuracy of about 100%.
- The location of PGF can be identified with the accuracy of 100%.

As seen above, a total accuracy of 99.64% is obtained for TTF detection and classification, and 100% for PGF detection, classification, and region identification.

Table 3. Percentage variations of third and fourth harmonics in three phases and first harmonic component of residual voltage (summation of three phase voltages) for various ttfs

CASE STUDY	Phase	h3/h1 %	h4/h1 %	The First Harmonic of the Residual Voltage U+V+W
	U	5.710	82e-6	
NC	V	5.710	82e-6	650e-6
	W	5.710	82e-6	
	U	6.380	0.407	
Case S	V	6.358	0.227	0.281
	W	6.370	0.113	
	U	6.741	0.713	
Case D	V	6.945	0.486	0.5425
	W	7.059	0.123	
	U	6.996	0.836	
Case T	V	7.538	0.790	0.9096
	W	7.697	0.067	
Case Qd	U	7.323	0.753	
	V	8.179	1.145	1.107
	W	8.293	0.058	
Case Qn	U	7.918	0.443	
	V	8.812	1.488	1.26
	W	8.839	0.222	

6- Conclusion

In this paper, an analytical method is proposed to detect, classify, and locate the internal faults, namely phase-toground faults and turn-to-turn faults, in the stator winding of synchronous generators based on harmonic components of the terminal voltage waveforms. To this end, an actual 300MVA, 18 kV, 12 poles hydroelectric synchronous generator is simulated using FEM in Maxwell software environment, and DT is employed to extract the proper harmonic components. It is shown that using the third and the fourth harmonic components of the individual terminal voltage waveforms and the fundamental component of the residual voltage waveform, not only all the turn-to-turn faults are detectable but also the faulty phase can be determined by an accuracy of about 99%. Additionally, the number of the shorted turns can be determined precisely. Also, all PGFs in stator winding can be detected, classified, and located with the third harmonic

Table 4. Percentage variations of harmonics and third harmonic component of residual voltage (summation of three phase voltages) for various pgfs.

U 5.710 NC V 5.710 411900 W 5.710 U 5.870 PGF 1 V 5.550 107.11 W 5.357 U 5.828 PGF 2 V 5.107 50.65 W 4.862 U 5.763 PGF 5 V 3.853 17.81 W 3.917 U 6.056 PGF 10 V 2.620 6.91 W 2.775 U 9.000 PGF 20 V 1.131 1.50				
NC V 5.710 411900 W 5.710 U 5.870 PGF 1 V 5.550 107.11 W 5.357 U 5.828 PGF 2 V 5.107 50.65 W 4.862 U 5.763 PGF 5 V 3.853 17.81 W 3.917 U 6.056 PGF 10 V 2.620 6.91 W 2.775 U 9.000 PGF 20 V 1.131 1.50		Phase	h3/h1 %	The Third Harmonic of the Residual Voltage (%)
W 5.710 U 5.870 PGF 1 V 5.550 107.11 W 5.357 U 5.828 PGF 2 V 5.107 50.65 W 4.862 U 5.763 PGF 5 V 3.853 17.81 W 3.917 U 6.056 PGF 10 V 2.620 6.91 W 2.775 U 9.000 PGF 20 V 1.131 1.50		U	5.710	
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PGF 1 V 5.550 107.11 W 5.357 U 5.828 PGF 2 V 5.107 50.65 W 4.862 U 5.763 PGF 5 V 3.853 17.81 W 3.917 U 6.056 PGF 10 V 2.620 6.91 W 2.775 U 9.000 PGF 20 V 1.131 1.50		W	5.710	
W 5.357 U 5.828 PGF 2 V 5.107 50.65 W 4.862 U 5.763 PGF 5 V 3.853 17.81 W 3.917 U 6.056 PGF 10 V 2.620 6.91 W 2.775 U 9.000 PGF 20 V 1.131 1.50		U	5.870	
PGF 2 V 5.828 PGF 2 V 5.107 50.65 W 4.862 U 5.763 PGF 5 V 3.853 17.81 W 3.917 U 6.056 PGF 10 V 2.620 6.91 W 2.775 U 9.000 PGF 20 V 1.131 1.50	PGF 1	V	5.550	107.11
PGF 2 V 5.107 50.65 W 4.862 U 5.763 PGF 5 V 3.853 17.81 W 3.917 U 6.056 PGF 10 V 2.620 6.91 W 2.775 U 9.000 PGF 20 V 1.131 1.50		W	5.357	
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U 5.763 PGF 5 V 3.853 17.81 W 3.917 U 6.056 PGF 10 V 2.620 6.91 W 2.775 U 9.000 PGF 20 V 1.131 1.50	PGF 2	V	5.107	50.65
PGF 5 V 3.853 17.81 W 3.917 U 6.056 PGF 10 V 2.620 6.91 W 2.775 U 9.000 PGF 20 V 1.131 1.50		W	4.862	
W 3.917 U 6.056 PGF 10 V 2.620 6.91 W 2.775 U 9.000 PGF 20 V 1.131 1.50	PGF 5	U	5.763	
PGF 10 V 2.620 6.91 W 2.775 U 9.000 PGF 20 V 1.131 1.50		V	3.853	17.81
PGF 10 V 2.620 6.91 W 2.775 U 9.000 PGF 20 V 1.131 1.50		W	3.917	
W 2.775 U 9.000 PGF 20 V 1.131 1.50	PGF 10	U	6.056	
U 9.000 PGF 20 V 1.131 1.50		V	2.620	6.91
PGF 20 V 1.131 1.50		W	2.775	
	PGF 20	U	9.000	
		V	1.131	1.50
W 1.497		W	1.497	

Table 5. Dt accuracy for ttf detection and classification in the stator winding.

Obtained Accuracy for	Train (133 samples)	Test (51 Samples)	Cumulative
Fault Detection	100%	100%	100%
Phase Identification	100%	96.07%	98.91%
TTFs Classification	100%	100%	100%
Total 1	99.64%		

Table 6. Dt accuracy for pgf detection, classification and region identification in the stator winding.

Obtained Accuracy for	Train (133 samples)	Test (51 Samples)	Cumulative
Fault Detection	100%	100%	100%
Phase Identification	100%	100%	
PGFs Location	100%		100%
Total 1	100%		

components of the individual terminal voltage waveforms and the third component of the residual voltage waveform. In the presented simulations, all the machine parameters, such as magnetic hysteresis, core saturation, winding distribution,

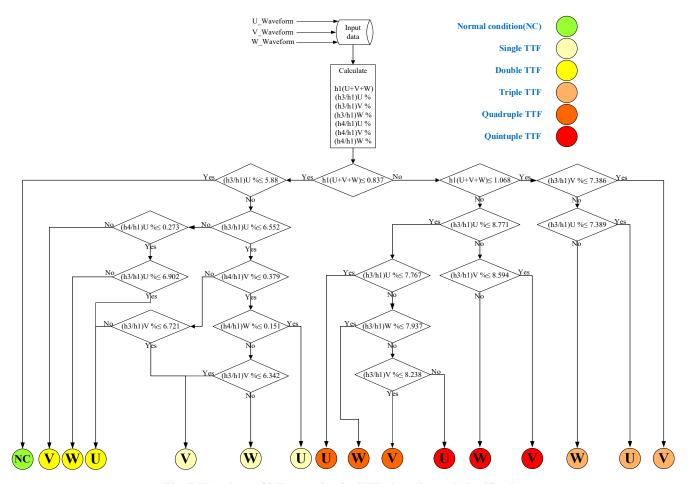


Fig. 7. Flowchart of DT operation for TTFs detection and classification

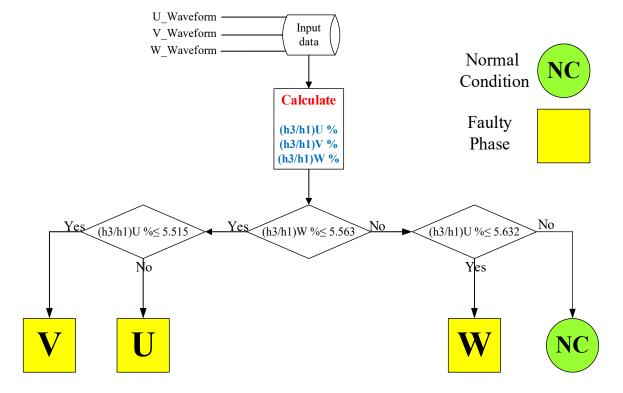


Fig. 8. Flowchart of DT operation for PGFs detection and classification

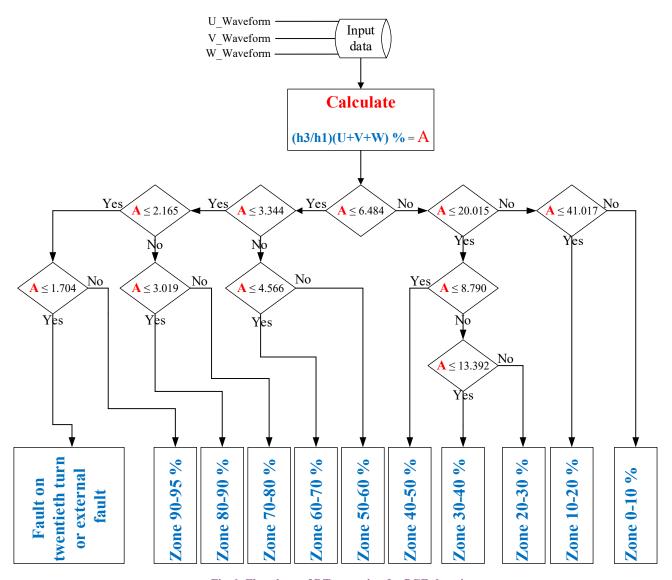


Fig. 9. Flowchart of DT operation for PGFs location

poles saliency, and air gap irregularity, magnetic nonlinearity (core saturation), stator edge (slot-teeth), bars dimensions and even insulation between them, flux distortion in the faulty phase and its effect on the other healthy phases are considered for the FEM algorithm in Maxwell software, based on Fuji technical documents, plans, and data sheets. Therefore, we assert that a comprehensive and precise model is used for internal faults simulations.

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